A Model-based Approach for the Specification of a Virtual Power Plant Operating in Open Context

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Introduction

- Open Context Systems (OCS)
 - Dynamic system boundary
 - Dynamic context awareness
- Smart Cars, Smart Grids, Smart Homes, etc...
- Virtual Power Plant (VPP)¹
 - Challenges
 - Limitations
- OCS involve Uncertainty
- Uncertainty is an umbrella over terms (Accuracy, Precision, Ambiguity, Vagueness, Predictability...)
- Where is uncertainty located in a component?
- Uncertain input, output, behavior

$$\xrightarrow{UI} UB: \vec{i} \rightarrow \vec{O} \xrightarrow{UO}$$

¹Applying formal software engineering techniques to smart grids, SE4SG-2012

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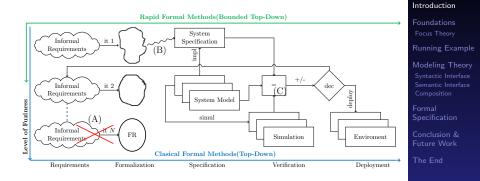
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Research Problem



- PS1: Formalism for fuzzy specifications to model explicitly uncertainty in component interactions
- Equivalence model for quantitative reasoning
- PS2: Formalism for qualitative specifications for approximating component behaviors
- Dynamic adaption to systems context

Focus Theory

- A formal theory for interactive systems
- System structure: static hierarchy of components
- Syntactic Interface: *I* ⊳ *O*
- Component interactions through message exchange
- Streams: finite (M^*) or infinite (M^{∞})
- Semantic Interface : $B: \vec{l} \to \wp(\vec{O})$
- Composition of subsystems: $B_1 \otimes B_2$

$$\xrightarrow{i_1: T_1} B: \overrightarrow{I} \to \overrightarrow{O} \xrightarrow{o: T_3}$$

Figure: Focus Component

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Virtual Power Plant

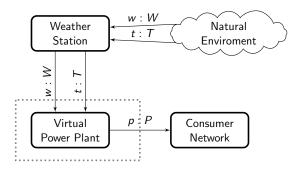


Figure: Virtual Power Plant and its Context

- Context-dependency
- Time-Dependency

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Specification

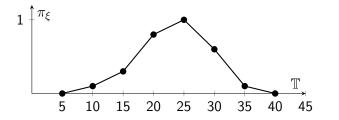
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Fuzzy Property

Definition (Fuzzy Property)

A fuzzy property $\tilde{\rho}$ is a three-tuple $\langle X, \xi, \pi_{\xi} \rangle$, where X is the universe of discourse which can be referenced by $\tilde{\rho}$, ξ is a linguistic term which characterizes the property and $\pi_{\xi} : X \to [0,1] \cup \{\bot\}$ is the membership function.

	p_1	p ₂	p 3	p 4	p 5	p 6	<i>p</i> 7	p 8	p 9
x	0	5	10	15	20	25	30	35	40
$\mu_{Troom}(x)$	0	0	0.1	0.3	0.8	1	0.6	0.1	0



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Fuzzy Port - Bindings

Definition (Fuzzy Port)

A fuzzy port Θ_T over a type T is a set of fuzzy properties $\Theta_T = \{ \widetilde{p} \in \mathcal{P} \}$, which satisfies the following two conditions:

- Each property type is a subset of T, formally:

$$\forall \widetilde{p} \in \Theta_T \to \widetilde{p}. X \subseteq T \tag{c1}$$

Each property is uniquely characterized by its linguistic term, formally:

$$\forall \widetilde{p}_1, \widetilde{p}_2 \in \Theta_{\mathcal{T}} : \ \widetilde{p}_1 \neq \widetilde{p}_2 \rightarrow \widetilde{p}_1.\xi \neq \widetilde{p}_2.\xi \qquad (c2)$$

Definition (Binding)

A binding *B* between a typed channel c : C and a fuzzy port Θ_T is a 2-tuple $B = \langle c, \Theta_T \rangle$ which satisfies following connectivity property:

- $C \subseteq T$

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Syntactic Interface

Syntactic Interface $(I_S \triangleright O_S) = I/O$ channels + fuzzy IP/OP ports + I/O bindings

Example (Syntactic Interface of the VPP)

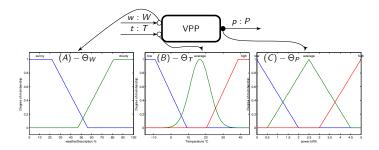


Figure: Syntactic Interface Specification for the VPP

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Rule Base Specification

Given: $I_S \triangleright O_S$ and $\mu = \langle i_1 @t, ..., i_n @t \rangle \in I_1 \times ... \times I_n$, the semantics are determined by a rule base of the form:

$$R_r^o$$
: if $i_1@t$ is $\xi_{1,r}^{(1)}$.. and ... $i_n@t$ is $\xi_{n,r}^{(n)}$
then $o@(t+1)$ is ξ_r , $r = 1, ..., k$

In case of multiple output channels: $R_S = \{R^{O_1}, ..., R^{O_m}\}$

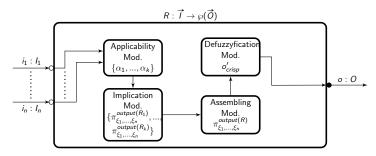


Figure: Behavior interpretation of a rule based specification

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Mapping Strategies

Definition (Mapping Strategy)

A mapping strategy for a given property $\tilde{p} = \langle X, \xi, \pi_{\xi} \rangle$ (total or partial) is a high order function over a stream to a membership function for that property, formally:

 $mapstr_{\xi} : Stream X, \mathbb{N} \cup \{\infty\} \rightarrow (\pi_{\xi} : X \rightarrow [0, 1])$

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Composition

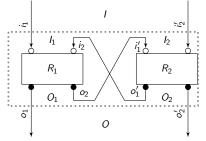


Figure: Parallel Composition with Feedback

Given two subsystems S_1 and S_2 with $I_1 \cap I_2 = \emptyset$ and behavior functions $R_1 : I_1 \to \wp(\overrightarrow{O_1})$ and $R_2 : I_2 \to \wp(\overrightarrow{O_2})$, the parallel composition is given by:

$$R_1 \otimes R_2 : \vec{l} \to \wp(\vec{O})$$

where, $I = I_1 \cup I_2$, $IP_S = IP_{S_1} \cup IP_{S_2}$, $O = O_1 \cup O_2$, and $OP_S = OP_{S_1} \cup OP_{S_2}$.

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VPP Specification

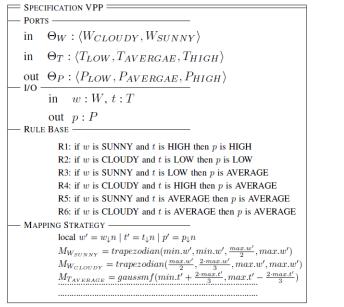


Figure: Virtual Power Plant Specification

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- Formalism for qualitative specifications within Focus
- Framework for Uncertainty based on fuzzy logic
- Limitations
- Tooling
- Case studies to evaluate the expressiveness and effectiveness of the overall approach

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Thank you for your attention!

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